

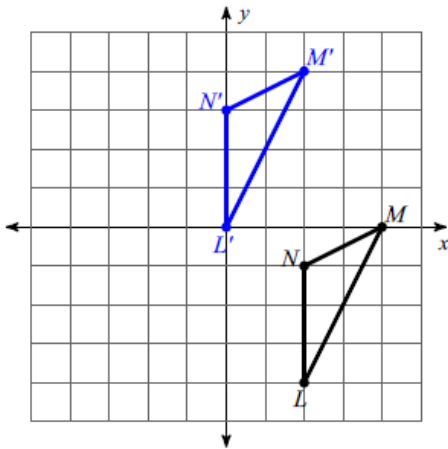
Chapter 10 Test Review

Write a rule to describe each transformation.

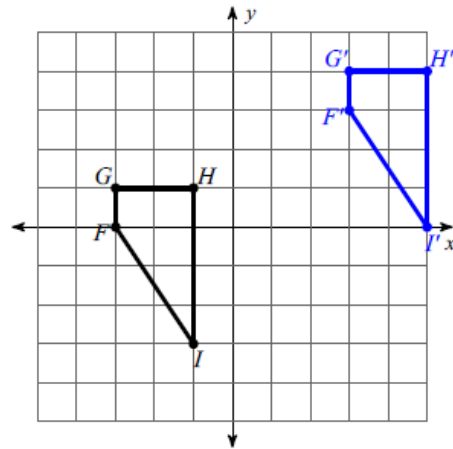
1)  $P(4, 2)$  to  $P'(-1, -5)$

2)  $T(-3, 2)$  to  $T'(-3, 0)$

3)



4)

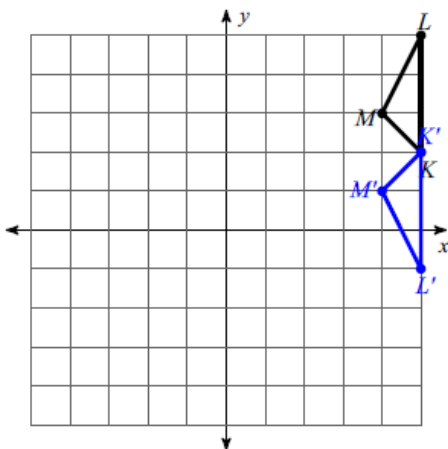


Write a rule to describe each reflection.

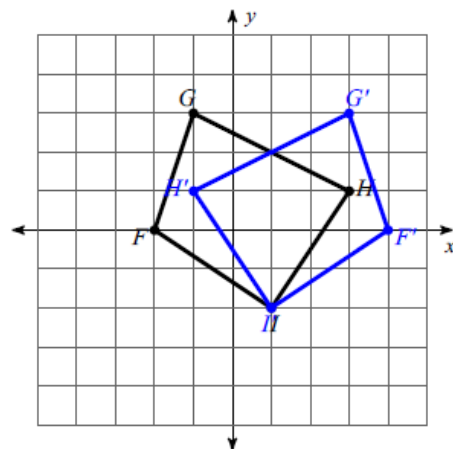
5)  $R(-4, -1), S(-5, 4), T(-3, 4), U(-1, 1)$   
to  
 $S'(-5, -4), T'(-3, -4), U'(-1, -1), R'(-4, 1)$

6)  $U(1, -4), V(1, 0), W(4, -1), X(5, -2)$   
to  
 $V'(1, 0), W'(4, 1), X'(5, 2), U'(1, 4)$

7)



8)

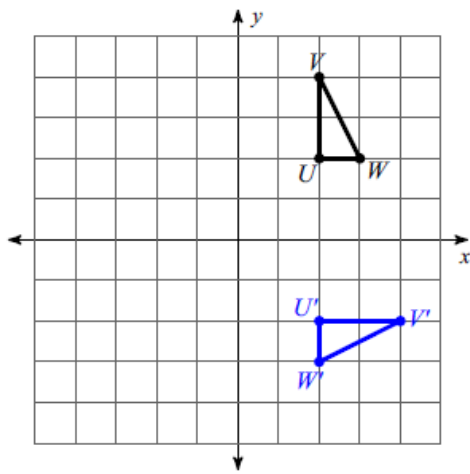


Write a rule to describe each transformation.

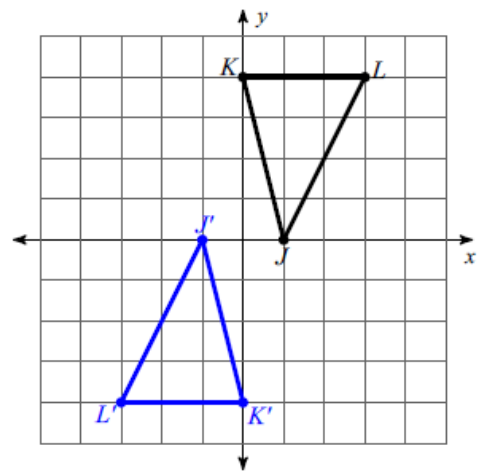
9)  $G(-5, 2), H(-4, 4), I(-3, 2), J(-3, 0)$   
to  
 $G'(-2, -5), H'(-4, -4), I'(-2, -3), J'(0, -3)$

10)  $T(-2, -4), U(-3, -1), V(0, 0), W(2, -3)$   
to  
 $T'(4, -2), U'(1, -3), V'(0, 0), W'(3, 2)$

11)

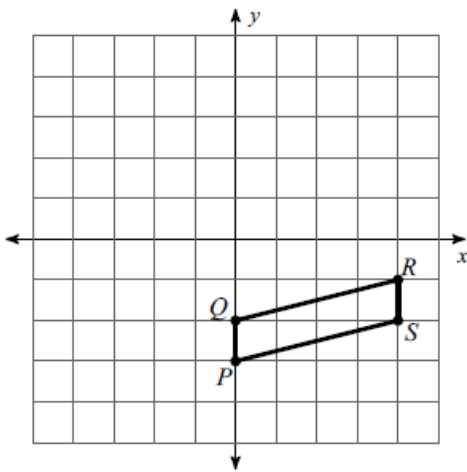


12)

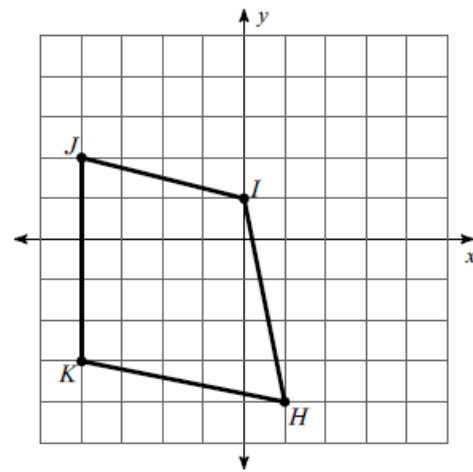


Graph the image of the figure using the transformation given.

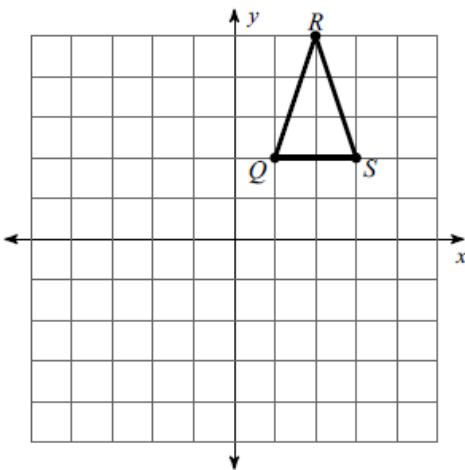
13) translation:  $(x, y) \rightarrow (x - 5, y + 1)$



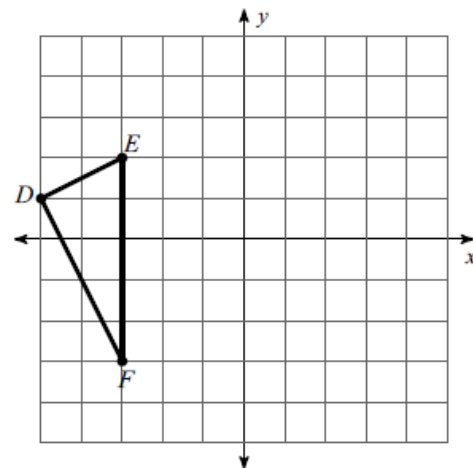
14) reflection across  $x = -1$



15) rotation  $90^\circ$  clockwise about the origin



16) rotation  $90^\circ$  counterclockwise about the origin



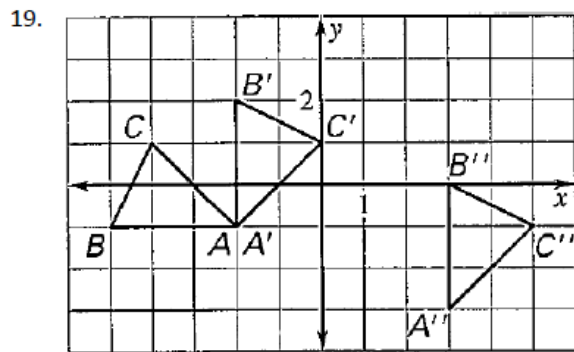
The vertices of  $\triangle PQR$  are  $P(2, 1)$ ,  $Q(1, 4)$ , and  $R(4, 3)$ .

Find the coordinates of  $\triangle P''Q''R''$  after the following composition of transformations in the order given.

17. Rotate about the origin  $90^\circ$  counterclockwise  
 Dilation centered at origin with scale factor of  $\frac{1}{2}$        $P''( \quad , \quad ), Q''( \quad , \quad ), R''( \quad , \quad )$

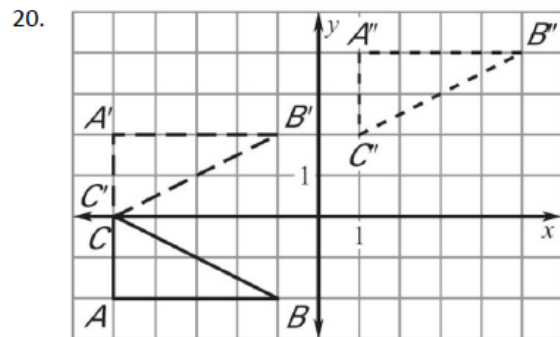
18. Dilation centered at origin with scale factor of 3  
 Translation:  $(x, y) \rightarrow (x - 6, y + 3)$        $P''( \quad , \quad ), Q''( \quad , \quad ), R''( \quad , \quad )$

Verify that the figures are congruent by describing the composition of transformations.



1<sup>st</sup> transformation: \_\_\_\_\_

2<sup>nd</sup> transformation: \_\_\_\_\_



1<sup>st</sup> transformation: \_\_\_\_\_

2<sup>nd</sup> transformation: \_\_\_\_\_

A dilation maps  $A$  to  $A'$  and  $B$  to  $B'$ . Find the scale factor of the dilation. Find the center of the dilation.

7.  $A(-6, -1), A'(-3, 2), B(-4, -5), B'(-2, 0)$       Scale factor: \_\_\_\_\_      Center of dilation: (  $\quad$  ,  $\quad$  )

8.  $A(3, -1), A'(4, -2), B(-1, -2), B'(-4, -4)$       Scale factor: \_\_\_\_\_      Center of dilation: (  $\quad$  ,  $\quad$  )

Determine whether the figure has rotational symmetry.  
 If so, describe the rotations that map the figure onto itself.  
 Then draw in any line(s) symmetry lines.



Has rotational symmetry? \_\_\_\_\_

Describe rotational symmetry:

\_\_\_\_\_

\_\_\_\_\_

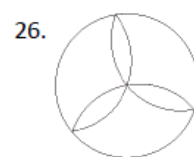


Has rotational symmetry? \_\_\_\_\_

Describe rotational symmetry:

\_\_\_\_\_

\_\_\_\_\_



Has rotational symmetry? \_\_\_\_\_

Describe rotational symmetry:

\_\_\_\_\_

\_\_\_\_\_

Chapter 10 Test Review

Write a rule to describe each transformation.

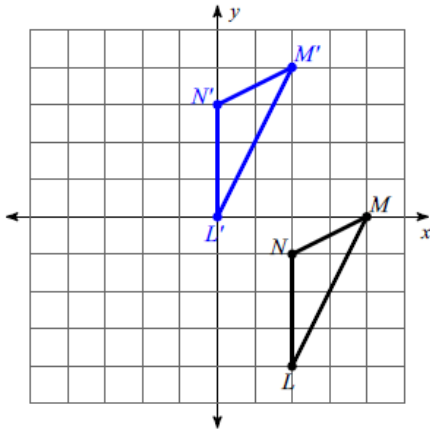
1)  $P(4, 2)$  to  $P'(-1, -5)$

translation:  $(x, y) \rightarrow (x - 5, y - 7)$

2)  $T(-3, 2)$  to  $T'(-3, 0)$

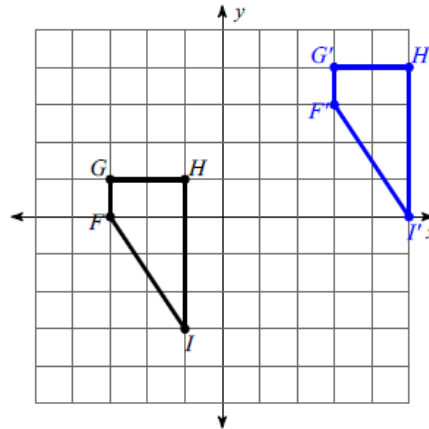
translation:  $(x, y) \rightarrow (x, y - 2)$

3)



translation:  $(x, y) \rightarrow (x - 2, y + 4)$

4)



translation:  $(x, y) \rightarrow (x + 6, y + 3)$

Write a rule to describe each reflection.

5)  $R(-4, -1), S(-5, 4), T(-3, 4), U(-1, 1)$

to

$S'(-5, -4), T'(-3, -4), U'(-1, -1), R'(-4, 1)$

reflection across the x-axis

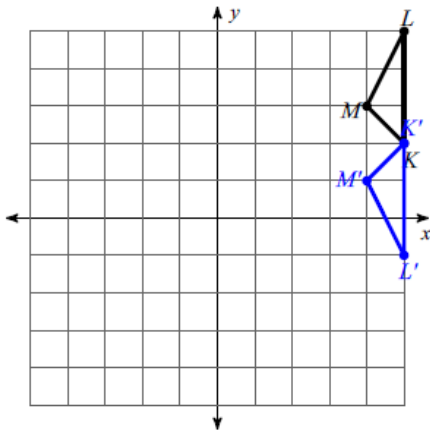
6)  $U(1, -4), V(1, 0), W(4, -1), X(5, -2)$

to

$V'(1, 0), W'(4, 1), X'(5, 2), U'(1, 4)$

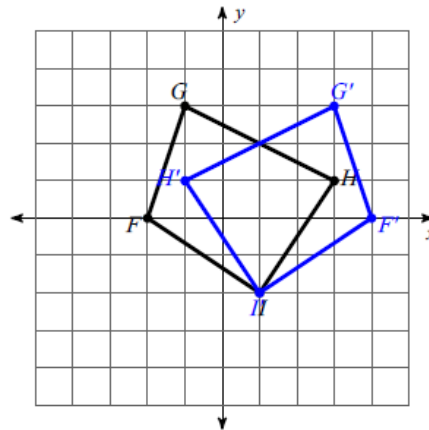
reflection across the x-axis

7)



reflection across  $y = 2$

8)



reflection across  $x = 1$

Write a rule to describe each transformation.

9)  $G(-5, 2), H(-4, 4), I(-3, 2), J(-3, 0)$

to

$G'(-2, -5), H'(-4, -4), I'(-2, -3), J'(0, -3)$

rotation  $90^\circ$  counterclockwise about the origin

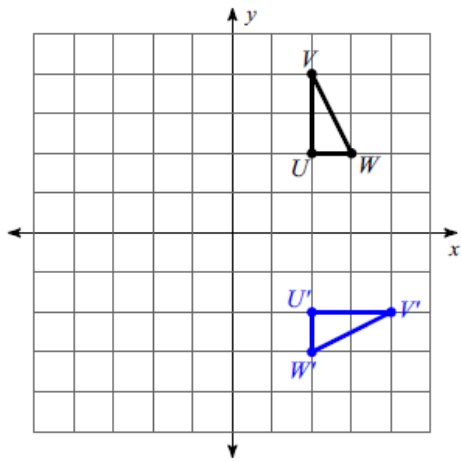
10)  $T(-2, -4), U(-3, -1), V(0, 0), W(2, -3)$

to

$T'(4, -2), U'(1, -3), V'(0, 0), W'(3, 2)$

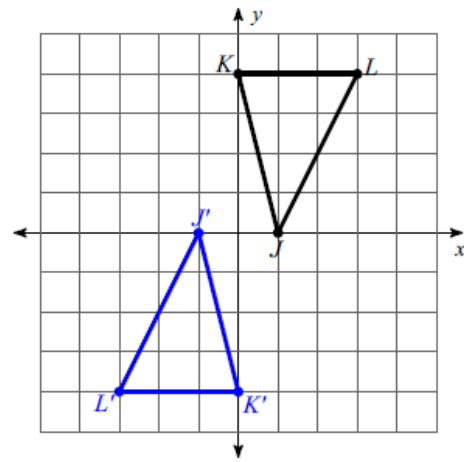
rotation  $90^\circ$  counterclockwise about the origin

11)



rotation  $90^\circ$  clockwise about the origin

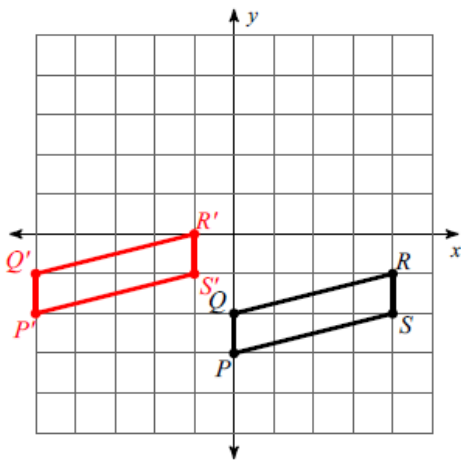
12)



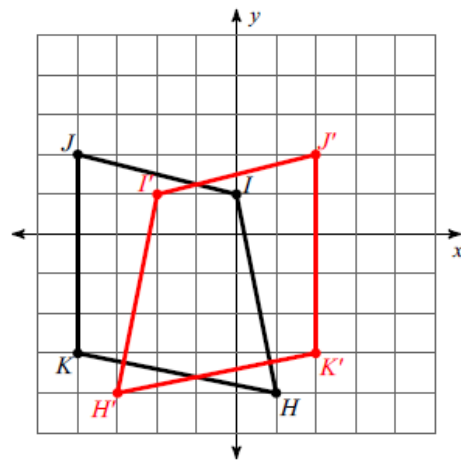
rotation  $180^\circ$  about the origin

Graph the image of the figure using the transformation given.

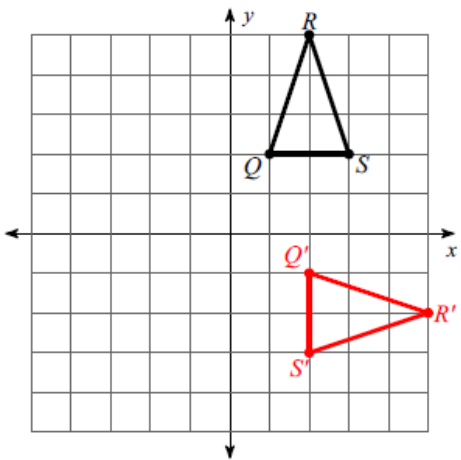
13) translation:  $(x, y) \rightarrow (x - 5, y + 1)$



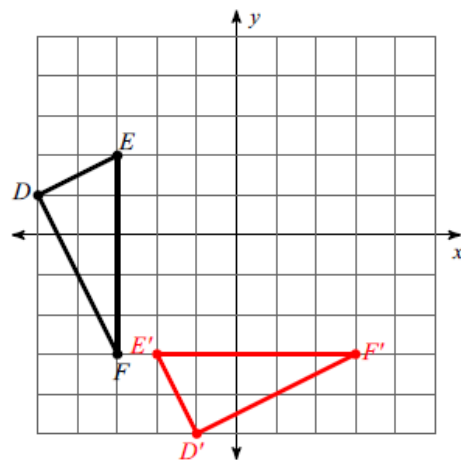
14) reflection across  $x = -1$



15) rotation  $90^\circ$  clockwise about the origin



16) rotation  $90^\circ$  counterclockwise about the origin



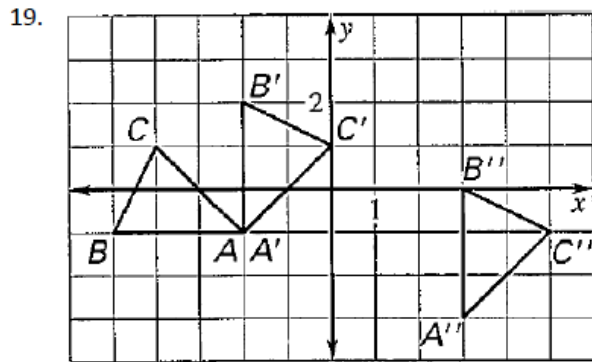
The vertices of  $\triangle PQR$  are  $P(2, 1)$ ,  $Q(1, 4)$ , and  $R(4, 3)$ .

Find the coordinates of  $\triangle P''Q''R''$  after the following composition of transformations in the order given.

17. Rotate about the origin  $90^\circ$  counterclockwise  
 Dilation centered at origin with scale factor of  $\frac{1}{2}$        $P''(-\frac{1}{2}, 1)$        $Q''(-2, \frac{1}{2})$        $R''(-\frac{3}{2}, 2)$

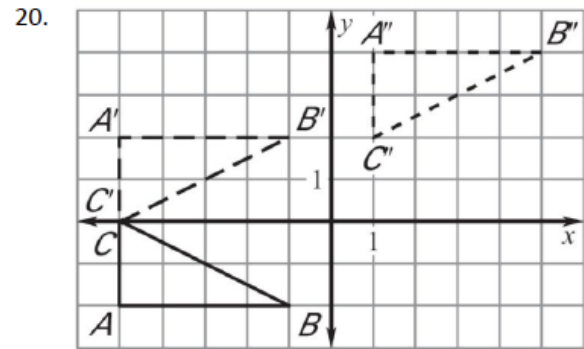
18. Dilation centered at origin with scale factor of 3  
 Translation:  $(x, y) \rightarrow (x - 6, y + 3)$        $P''(0, 6)$        $Q''(-3, 18)$        $R''(6, 12)$

Verify that the figures are congruent by describing the composition of transformations.



1<sup>st</sup> transformation: Rotate  $90^\circ$  clockwise about  $(-2, -1)$

2<sup>nd</sup> transformation: Translation:  $(x, y) \rightarrow (x + 5, y - 2)$



1<sup>st</sup> transformation: Reflect across the x-axis

2<sup>nd</sup> transformation: Translation:  $(x, y) \rightarrow (x + 6, y + 2)$

A dilation maps A to A' and B to B'. Find the scale factor of the dilation. Find the center of the dilation.

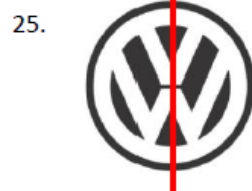
7.  $A(-6, -1)$ ,  $A'(-3, 2)$ ,  $B(-4, -5)$ ,  $B'(-2, 0)$       Scale factor:  $k = \frac{1}{2}$       Center of dilation:  $(0, 5)$

8.  $A(3, -1)$ ,  $A'(4, -2)$ ,  $B(-1, -2)$ ,  $B'(-4, -4)$       Scale factor:  $k = 2$       Center of dilation:  $(2, 0)$

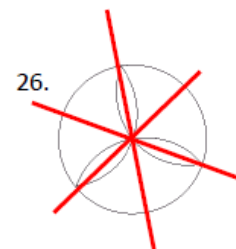
Determine whether the figure has rotational symmetry.  
 If so, describe the rotations that map the figure onto itself.  
 Then draw in any line(s) symmetry lines.



Has rotational symmetry? YES  
 Describe rotational symmetry:  
 rotation of  $90^\circ$ ,  $180^\circ$ , and  $270^\circ$   
 about its center



Has rotational symmetry? NO  
 Describe rotational symmetry:  
 \_\_\_\_\_  
 \_\_\_\_\_



Has rotational symmetry? YES  
 Describe rotational symmetry:  
 rotation of  $120^\circ$ , and  $240^\circ$   
 about its center